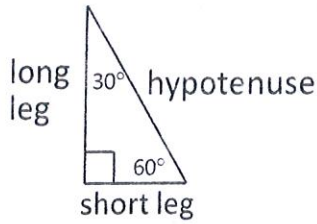


Key

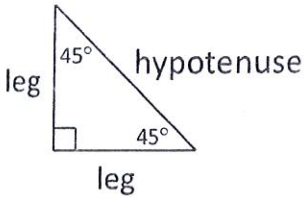
### Special Right Triangles



$$\text{short leg} = \frac{1}{2} \cdot \text{hypotenuse}$$

$$\text{long leg} = \sqrt{3} \cdot (\text{short leg})$$

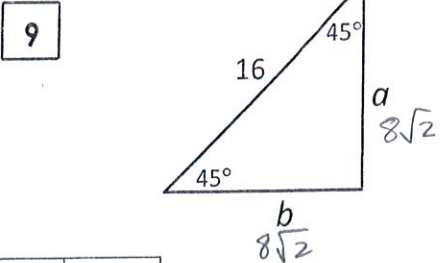
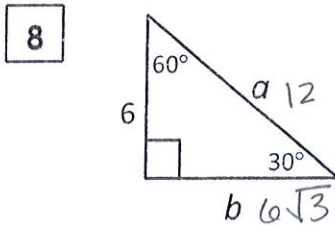
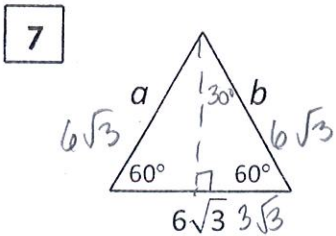
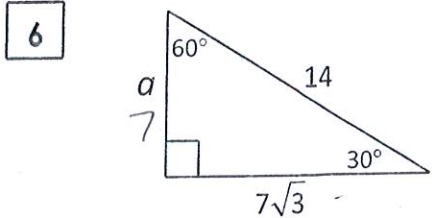
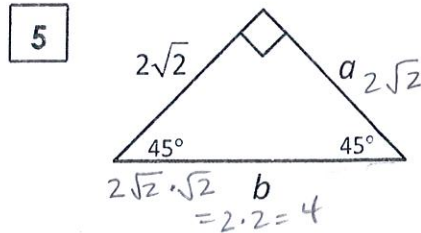
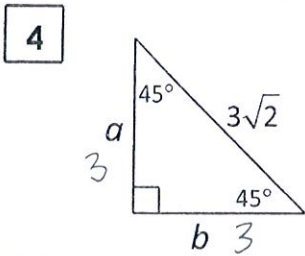
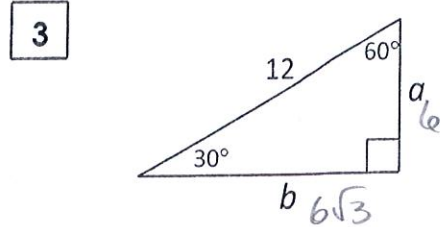
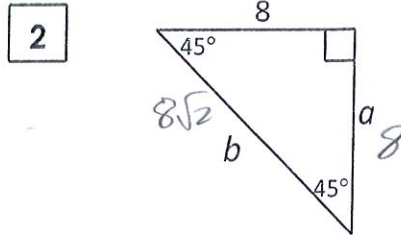
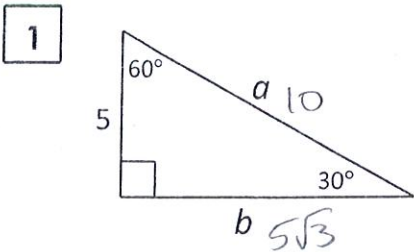
$$\text{hypotenuse} = 2 \cdot (\text{short leg})$$



legs are equal

$$\text{hypotenuse} = \sqrt{2} \cdot (\text{leg})$$

Use the 30-60-90 and 45-45-90 triangle relationships to solve for the missing sides. Use the answers to reveal the name of the team that Abraham M. Saperstein established and sent on the road in 1927.



8	$2\sqrt{2}$	3	6	$5\sqrt{3}$	4	7	12	$8\sqrt{2}$	10	$6\sqrt{3}$
A	B	E	G	H	L	M	O	R	S	T

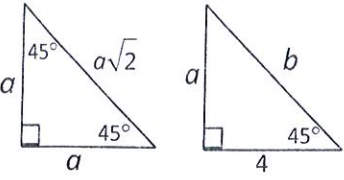
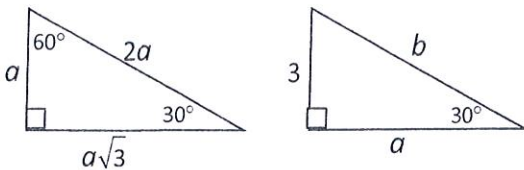
The Harlem

Globetrotters

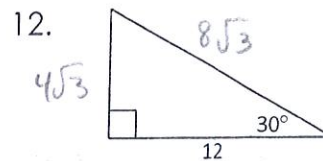
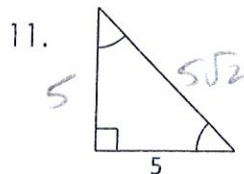
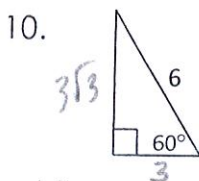
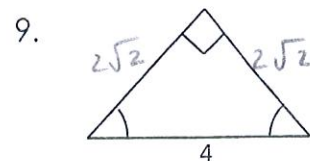
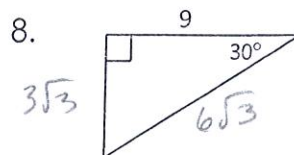
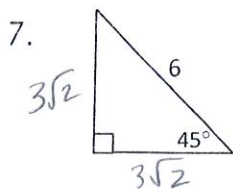
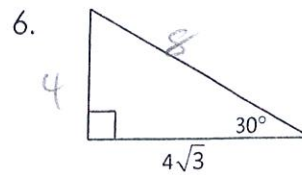
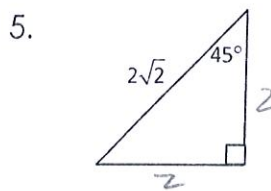
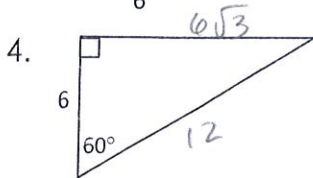
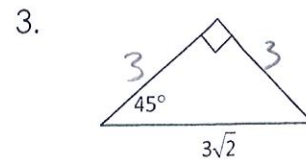
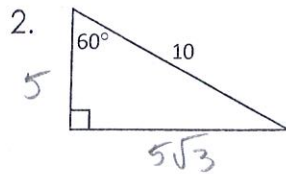
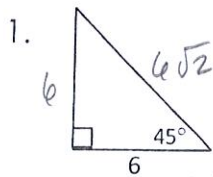
Name: \_\_\_\_\_ Date: \_\_\_\_\_ Hour: \_\_\_\_\_

Key

## Special Right Triangles

<p style="text-align: center;">45-45-90 Triangle</p>  <p style="text-align: center;"> <math>a = 4</math>  <math>b = 4\sqrt{2}</math> </p>	<p style="text-align: center;">30-60-90 Triangle</p>  <p style="text-align: center;"> <math>a = 3\sqrt{3}</math>  <math>b = 2 \cdot 3 = 6</math> </p>
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Find the missing sides.



Cross out the correct answers. The remaining letters (one per space) complete the statement.

<del>5</del> EQ	9 HA	<del>6√2</del> UA	<del>3</del> LT	10 LF	<del>3√2</del> OT	<del>3</del> HE	<del>4√3</del> SQ	<del>3√2</del> UA	<del>12</del> RE	<del>2√2</del> RO
<del>6√3</del> OT	<del>5√3</del> OF	25 TH	<del>3√3</del> ER	<del>6√3</del> AD	<del>5</del> U	20 EH	<del>3</del> SO	<del>3√3</del> FT	36 YP	<del>2</del> PY
11 OT	<del>4</del> TH	16 EN	<del>6</del> AG	<del>8</del> OR	32 US	<del>5√2</del> AS	<del>2</del> TH	7 E.	<del>8√3</del> T.	<del>2√2</del> S.

In a 30-60-90 degrees right triangle, the side opposite the 30-degree angle is

Half the hypotenuse